

Central Limit Theorem

- We now know how to calculate the probability using "Standard Normal Probability distribution" table.
- We could also solve some practical problems, such as Tyre warranty!
- Of course, we assumed "Normal" or "Gaussian" distribution.
- This may not be true in practice!

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3. In addition,

- Mean of Sample Means ($\mu_{\bar{x}}$) = μ
- Std. Dev of Sample Means ($\sigma_{\bar{x}}$) = $\frac{\sigma}{\sqrt{n}}$

• Central Limit theorem provides a powerful tool to carry out inferences in practice.

• For the example data set given - Verify $\mu_{\bar{x}}$ and $\sigma_{\bar{x}}$

- Prepare a Frequency Table to verify the distribution of Sample Means.

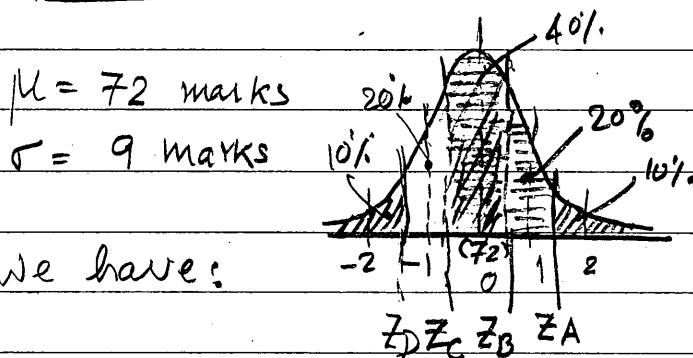
• Central Limit theorem can be used for all types of distribution.

Central Limit Theorem

1. If samples of size 'n' ($n \geq 30$) are drawn from any population with a mean (μ) and std dev (σ), then sample means have approximates to Normal Distn! The greater the sample size, better is the approximation.
2. The above is valid even if the population is NOT Normally distributed.!!

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Homework solution (Week 6)



Grade A : $\geq z_A = 1.28 ; X_A = \underline{83.5}$

Grade B : $\geq z_B = 0.525 ; X_B = \underline{76.7}$

Grade C : $\geq z_C = -0.525 ; X_C = \underline{67.3}$

Grade D : $\geq z_D = -1.28 ; X_D = \underline{60.5}$

Grade F : $< z_D \Rightarrow X_D < \underline{60.5}$

A student getting 60.5% mark FAILS!

